



# Grinding and Dispersing of Nanoparticles in aqueous suspensions

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# **Possibilities for Nanoparticle production**







# List of contents



- Dispersing of nanoparticles
  - Stress mechanism and Machines
  - Experimental results and theoretical discribtions
- Nano-Grinding in stirred media mills
  - Influencing parameters
  - Results with different stabilisation additives
  - Modell transfer from dispersion processes







#### **Particle Structures**





#### **Dispersion process**







#### **Stress mechanism**



Shear stress



# **Dispersion machines**





3-roller-mill



dissolver



### kneader



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### stirred media mill

# Comparison of different dispersing machines









#### **Dispersion kinetics – dissolver**





## **Dispersion kinetics**



Biedermann und Henzler:

$$\boldsymbol{x} = \boldsymbol{C} \cdot \left( 1 + \boldsymbol{A} \cdot \boldsymbol{a} \cdot \left( \frac{\boldsymbol{P}}{\boldsymbol{V}} \right)^{\boldsymbol{b}} \cdot \boldsymbol{t} \right)^{-\frac{1}{\boldsymbol{a}}}$$

Walker:

$$\int_{0}^{t_{1}} t = -C \cdot \int_{x_{0}}^{x_{1}} \frac{dx}{x^{n}} \implies x_{1} = \left(\frac{t \cdot (n-1)}{C} + \frac{1}{x_{0}^{n-1}}\right)^{-\frac{1}{n-1}}$$

$$p_{DA} = p_{Beanspruchung} \cdot p_{Bruch} \Rightarrow x = x_0 - x_0 \cdot \left(1 - e^{-k \cdot \frac{V_{eff}}{V} \cdot t}\right) \cdot \left(1 - e^{-a \cdot \frac{P}{\sigma \cdot V}}\right)$$





$$x(t) = x_0 + (x_{end} - x_0) \cdot \frac{t}{t + K_t}$$

$$x(E_m) = x_0 + (x_{end} - x_0) \cdot \frac{E_m}{E_m + K_E}$$





# **Dispersion process and kinetics**

- For Dispersion processes a reachable end particle size can be determined by a kinetec model
- The model uses stress intensity and stress frequency for the describtion of the process
- A comparison of different dispersion machines and process parameter in relation to their stress intensity and frequency is possible







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# What are the challenges of nanogrinding?



Nanoparticles tend to agglomerate, due to high surface forces

Wear particles lead to product contamination and high costs for the replacement of grinding media

The process requires a high energy input and is time consuming





# **Stabilizing possibilities**



**Electrostatic Stabilization** 

**Steric Stabilization** 

Addition of potential determined ions → Zeta-Potential

Addition of Oligo-/Polymers → Adsorptionsisotherms/Rheology

Acids/Basis → pH-value



Functional groups







## **Determination of isoelectric point**







# Nanogrinding with different acids





# Transfer of the new dispersion modell to a grinding process









# **Conductivity in dependence of particle surface area**



Braunschweig

#### **Interaction-potential**





Specific energy E<sub>m.w</sub> [kJ/kg]



# Summary



#### **Dispersing of Nanoparticles**

- Different machines lead to different stress mechanism and therewith to different dispersion results
- With a kinetic modell the reachable end particle size can be determined

#### **Real Grinding**

- Only stirred media mills can be used for reaching nanoparticles by grinding due to their high energy densities
- Stabilization of the suspension is necessary for controling the viscosity during the grinding process
- Kinetic modell for discribing dispersion processes is transferable on grinding processes



## **Experimental Setup**



